1.0 Introduction
The work of Marcel Mauss is mostly unknown to economists. Only few references to the *Gift*, Mauss’ best known work, are to be found in the economic literature (e.g. Kranton, 1996). This is also true for behavioural economics even if authors from this field regularly address topics such as reciprocity and other forms of non-selfish behavior. These topics are closely related to the *Gift*. Economic anthropologists also tend to be scarcely aware of the developments in behavioural economics and the related research methods and findings. They appear, instead, to nourish the long established enemy image of neoclassical theory (e.g. Hann & Hart, 2011). By and large, applications of behavioural economics methodologies are rarely found (but see Henrich, 2000; Henrich et al., 2001).

Mutual acceptance of key concepts and knowledge about different methodologies of the other discipline, however, may be fertile ground for developing existing concepts further. This short note addresses a specific case. It states that the concept of the *Gift*, as developed by Marcel Mauss (1923/1924) nearly 100 years ago, can serve as a contextual framework of the Centipede game. The Centipede game is one of the workhorses used in behavioural economics and it has been tested in many different variations in the lab and in the field. The purpose of this note is not only to bring Mauss’s work to the attention of economists, but also to attract anthropologists’ attention to methods used in economics which can be fruitfully applied to their research topics.

The structure of the text is as follows: Section 2 briefly outlines the idea of the Gift. Section 3 introduces a standard Centipede game and provides a short literature review of empirical findings. Sections 4 sets the Centipede game in the context of the Gift and addresses similarities and dissimilarities. Section 5 is dedicated to the discussion of game trees. The last section concludes.

2.0 The Gift
Marcel Mauss’s (1990) concept of the *Gift* has to be considered within his general approach to society. According to him, individual decisions depend on both individual freedom and social obligations (Hart, 2007:481). Mauss (1990:70) writes that a citizen “[…] must act by taking into account his own interests, and those of society and its subgroups.” In this sense a person acts as an individual within a given social context.

Mauss (1990:39-43) examines the Gift in specific potlatch cultures and also in a European historical context and refers to three immanent obligations. Firstly, he addresses the ‘obligation to give’. This obligation is central for groups and for individuals within a given social order so as to preserve a social position through the signalling and demonstration of wealth, fortune, being blessed by the spirits and gods, etc. This obligation goes hand in hand with a compulsory invitation to gift giving occasions, *i.e.*, the spread of information to all potential receivers of gifts before a gift-giving occasion takes place; for instance, the invitation to a feast. Secondly, the invited are ‘obliged to accept’ the invitation. They have only few reasons to refuse. Moreover, a ‘burden’ (Mauss, 1990:41) is attached to the gift and its acceptance. This burden becomes obvious in the third obligation, *i.e.*, recipients of a gift have the ‘obligation to reciprocate’ in the future. In the specific form of the potlatch, the value of the reciprocation should be higher than the value of the gift received. Indeed, with the fulfilment of this third obligation a new round of reciprocal exchanges is likely to start. Any violation of these obligations, *e.g.*, not to invite, to decline an invitation, to reject a gift, or to make an insufficient reciprocation of the gift, inevitably has social consequences for the offender and/or her/his group. Social costs can be a loss of social esteem, status, power, etc.
Mauss’s system of total services can be understood as a decision and allocation system within an institutional setting. It includes collective entities, rules and obligations for exchange (Douglas 1990:5). Mauss regards families, clans and tribes as collective entities that engage in exchange. Exchange in this system is compulsory and ubiquitous. Douglas (1990:5) provides examples for exchange objects and occasions such as banquets, rituals, military services, human beings, and cultural activities. An initial gift induces reciprocal returns and a permanent exchange within a society. On the one hand, a gift stabilizes social relations between individuals and groups. On the other hand, reciprocal exchange has a strong competitive element if one group or individual tries to outperform opponents. It is important to note that, according to Mauss, the Gift is understood as a universal pattern (see Hann 2006:208; Liebersohn 2011:139-163; Mauss, 1990:71-83) and can be applied to modern market exchange, as well as to archaic exchange (see also Hart 2007). Recently, Egbert and Sedlarski have proclaimed the compatibility of Mauss’s ideas with concepts in new institutional economics and business administration (Egbert 2017; Egbert & Sedlarski 2016).

3.0 The Centipede Game
Economic experiments prove that people do not always take decisions as predicted by neoclassical theory. In many cases, individuals do not behave selfishly. A case at hand is the Centipede game (Rosenthal 1981). In this game, two players A and B take sequential decisions. We assume that player A is the first player. Player A has the option to take ‘something valuable’. In an experimental setting this ‘something valuable’ are usually tokens that represent money. In the game tree, a higher value is indicated by a higher number. So maximizing the number of tokens one has would be a rational aim of a selfish person. If A does not take the tokens, she can pass them to player B. In this case, B has the same two options, either to take or to pass. A game tree illustrates the situation in more detail.

Figure 1: A Centipede Game

Source: Adopted from McKelvy & Palfrey (1992:806).

The two players are A and B. The ‘take decision’ is indicated by t and the ‘pass decision’ by p. If a player chooses t, the game ends and both players receive their pay-offs. For instance, if A chooses t at her first node, the game ends (4;1). A receives four tokens (always the first number of the pay-off) and Player B receives one token (always the second number). But if A chooses p, then B has to make the same decision; i.e., to take or to pass. As can be seen, the number of tokens always doubles when a player chooses to pass.

In neoclassical theory, it would be the assumed that both players are rational and are fully informed about the structure of the game, all pay-offs, and about the final node. Assume a player maximizes her/his utility through the maximization of her/his pay-offs. Since a terminal node exists, the game can be solved by backward induction. If B compares her/his last node to her/his pay-offs between choices p and t, s(he) chooses t because 32 > 16. If A assumes that B is rational at node 4 and will choose t, A’s best choice at node 3 is t.
because $16 > 8$. Thus the backward induction with rational players allows predicting the
subgame perfect Nash equilibrium: both players choose $t$ as early as possible. In this case A
would stop at her first node and it would not be possible for reciprocal behaviour to occur.

However, empirical studies do not confirm that individuals play the Nash equilibrium. Only a few players stop the game as early as possible. McKelvy & Palfrey (1992) are the first who tested the game experimentally. They found that only 7% of the participants stop the game at the first node, and most players stop after the first but before the last node. A large body of empirical and theoretical research was stimulated by this
game (for brief surveys see Camerer 2003:94-95, 219-221; Binmore 2007:165-167, 416-418). Next, some empirical findings are summarized.

Nagel & Tang (1998) confirm the results of McKelvy & Palfrey (1992) and in
addition consider learning effects. In a constant sum game in which one participant can
only lose if she plays pass, Fey, McKelvey & Palfrey (1996) find that the percentage of
participants who end the game early increases. Ho & Weigelt (2005) use a centipede game
in order to investigate trust-building among strangers. Parco, Rapoport & Stein (2002) test
the influence of high pay-offs in comparison with low pay-offs. High pay-offs induce
participants to choose ‘take’ at earlier nodes of the game. Similar results are reported from a
conduct a field experiment with chess players and show that individuals who are trained in
backward induction reasoning very often end the game early; i.e., their decisions are more
in line with predictions derived from neoclassical theory. Other studies focus on
cooperative behaviour. In an experiment with a mixed population of humans and robots,
Murphy, Rapoport & Parco (2004) test how the number of cooperative players in a
population influences outcomes. Bornstein, Kugler & Ziegelmeyer (2005) test the effect of
groups as players and find that groups choose the ‘take’ option earlier than individual
players.

These and a number of other studies reveal the variables that increase the share of
participants who stop the game comparatively early. This includes: a constant pie (Fey,
McKelvey & Palfrey 1996), very high stakes (Rapoport et al. 2003; Parco, Rapoport &
Stein 2002), more than two players (Rapoport et al. 2003), if groups and not individuals are
the players (Bornstein, Kugler & Ziegelmeyer 2005), and individual training in backward
induction reasoning (Palacios-Huerta & Volij 2009). They also show that participants play
‘take’ at later nodes if the percentage of cooperative players in the population increases
(Murphy, Rapoport & Parco 2004), and if the game has many decision nodes.

4.0 The Centipede and the Gift
Many similarities between the concept of the Gift and the Centipede game are apparent. At
the same time, there are differences that require elaboration in order to make the game
applicable to a Gift context. Next, the similarities are outlined before addressing the
differences.

In a model, two largely homogenous groups can be depicted by two individuals. For
instance, player A and player B could be chiefs of clans or tribes who have similar
preferences and interests similar to the groups they represent. If chief A provides chief B

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1 The review is confined to selected games that allow observing direct reciprocity because this is the
closest to the Gift concepts. Similar Centipede games can also be used to show indirect reciprocity
(Greiner & Levati 2005; Danese & Mittone 2015).

2 For a recent analysis based on verbal protocol taken during a Centipede game, see Krockow,
Colman & Pulford (2016).
with an initial gift, this action can induce repeated direct reciprocal behaviour between the two chiefs. This is what is described in the Gift concept and is also depicted in Centipede games. In both contexts, the initial endowment is exogenously given. In the Gift context, for instance, the initial gift could be the result of a particularly good harvest. In the Centipede game an experimenter provides the initial endowment.

Another structural resemblance is related to the second obligation outlined by Mauss (1990:41). It states that a gift must be accepted and cannot be rejected by the receiver. This is exactly depicted in a Centipede game. If a player passes, the receiving player has no option to reject. Furthermore, when Mauss states that a ‘burden’ is attached to a gift, this burden is modelled in the pay-off structure of the game. The burden is the interest that a receiver has to repay along with her/his reciprocal giving. In many Centipede games, the interest can be found in the number of tokens that a person passes because the sum steadily increases (see Figure 1).

There is also a similarity in the assumption of economic theories and Mauss that individuals exchange something of value. Mauss outlines in detail how ‘things’ that have a magic value for groups can become money within these groups (see Hahn, Schmidt & Seitz 2015 for an anthology of Mauss’ writings on money). In order to make a ‘thing’ an appropriate object for exchange in groups; i.e., to serve as a gift, A and B (and the groups they represent) must have a similar value system with respect to these things. While in some societies food, blankets, invitations, salt, or labour constitute such things, in other societies these things can be tokens which can be exchanged for money. Money, as used in economic experiments, is simply a specific case of a wide variety of possible valuable objects which could also be used in experiments. The innate assumption of the Centipede game and of the Gift is that those who interact in exchange have to share similar value systems about the ‘things’ that are exchanged.

The third parallel is that empirical findings in anthropological research and in experimental economics show that many people do not always behave selfishly. Instead, they have other regarding preferences, with reciprocity being one of them (Falk & Fischbacher 2006). Thus, empirical findings from the Centipede game and other experiments (e.g., the Trust game) go hand in hand with observations of direct reciprocal behaviour, as described by Mauss for potlatches and other social arrangements.

Apart from these similarities, there are differences as well. One difference is that in an experiment, players physically receive the final pay-off but not intermediate pay-offs. For instance, if player A chooses the take option at node three (Figure 1), then players physically receive 16, respectively 4 tokens, but they do not receive tokens at nodes one and two because they have chosen to pass. In contrast to that, the Gift addresses a physical transfer of valuables every time the players interact. One may argue that the physical presence of the objects influences the decisions. If such an endowment effect (Thaler 1980) exists, it is reasonable to assume that fewer players would pass at initial nodes. However, this is only a minor point since the game could be played with physical objects being given to the players at every node. The two remaining aspects address more striking differences. Both are related to the ‘obligations’; i.e., the institutional setting assumed in the Gift concept.

The above Centipede game does not include socially determined obligations. An anonymous player who ends the game by choosing the take option is not exposed to social costs. In the Gift concept, social costs exist because these are an innate consequence of the

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3 This does not imply that in repeated interaction reciprocal behavior can be a form of utility maximizing behavior of selfish individuals.
‘obligations’. Since in the Gift concept social rules dictate to give, to accept and to return, an individual in this institutional context will always accept and reciprocate if means allow her to do so and even if social costs are comparatively high. Social costs are, for instance, loss of reputation, loss of rank, or social exclusion imposed by a society on the offender. If these costs are high, a decision maker will continue the process of reciprocal giving once s(he) has initially given a gift or has accepted one. The only option to avoid this repeated circle is to abstain from the first transfer (see the example given in Hann 2006:209).

The other, significant, difference is related to utility. In a Centipede game it is assumed that for a rational player her/his utility \( u \) increases with the number of tokens s(he) receives. This means that more tokens are strictly preferred to fewer tokens. Thus the players’ utilities are related to the size of the pay-offs. For instance, \( 32 > 16 \) implies that \( u(32) > u(16) \).

The concept of the Gift is different. The utility for a person derives from the act of giving because giving is the visible fulfilment of an obligation; i.e., to pass something valuable to others. In the specific social context of a potlatch that includes aspects of religion and politics, to give away more goods is better because generous giving means an increase of social esteem. Thus the ‘take’ decision; i.e., the decision not to give and not to share causes, in the Gift context, a lower utility than the ‘pass’ decision.

The next section provides two game trees and outlines how the concept of the Gift can be represented through Centipede games.

5.0 Potlatch Gift Exchange

Let us assume a potlatch context as Mauss and others have described it. All players have similar value systems and the three obligations are in power and constitute the normative institutional framework. A person (representative of a group) who possesses something valuable has to offer it as a gift at a specific occasion to another person (representative of another group). This second person has to accept and to reciprocate the gift with interest at a later occasion. Both persons are in competition with each other for social rank, esteem, etc. Utility derives solely from giving; i.e., the decision to pass incurs social costs if norm violation occurs. An ex-ante determined final transfer does not exist so that reciprocal exchange may continue infinitely. This implies that the game cannot be solved by backward induction.

Figure 2 depicts such a potlatch game. Nature (N) initially endows \((e)\) a player randomly with something valuable. This could be a very rich harvest or an unusually successful hunt. Player A has now the option to keep this endowment \((t)\); i.e., to use it herself/himself. If s(he) does so, s(he) faces social costs indicated with a minus in her/his pay-off structure at node one \((-1/1)\). However, in this case A’s decision also affects B’s utility. Since A exhibits selfish behaviour, B derives a utility because A loses social esteem or social rank. That is why the pay-off for B at node one is positive \((-1/1)\). However, if A passes the valuables to B, then A would gain social esteem in case B chooses \(t\) at node two. In this case B would face social costs \((2;-2)\). The only rational decision for each player at her/his node is to pass; i.e., to behave reciprocally. Since an interest has to be paid on what has been received, the pay-offs in the game tree increase in absolute numbers depicting increasing utility or decreasing utility at higher nodes. For an infinite game, the best decision for both players would always be to pass.

**Figure 2:** Potlatch Game
While the game in Figure 2 may visualise the concept of the Gift in a potlatch culture, it remains applicable to comparatively few situations or societies. This is so because the absolute number of pay-offs permanently increases. Other situations, probably more realistic, include a decrease in reciprocal giving. Such a case is modelled in Figure 3.

The assumptions about players and institutions are the same as stipulated above. The only difference is that a received gift does not require a return with an interest. Instead, we assume that a gift can be reciprocated with a discounted gift. In short, while players follow the norms of the three obligations, they can, however, return less than they have received. Since the rule now is that fewer valuables can be returned, we assume that in the sequential process the social costs related to the violation of the obligations also decrease with each node. At a final node, pay-offs for both players are close or equal to zero. Such a Gift game with discount can have a final node.

**Figure 3: Gift Game with Discount**

Let us assume that nature N endows player A with 10 units of ‘valuables’ (e = 10). Player A has at node one the option to pass the endowment as a gift. The common rule for both players is that a received gift can be returned with a discount. To simplify the example, we assume that the discount is -1 at every node. As a consequence, the game ends at the n’s node with \( n = e + 1 \). With an endowment of 10, player A is the first and last player in the game. In order to illustrate the pay-offs for a ‘take’ decision, let us assume that we are at node three in Figure 3. If A chooses \( t \), then her/his utility is -8 and the utility of B is +8. But if A passes and B chooses the ‘take’ option at node four, A has a utility of 7 and B a utility of -7. As one can see, the pay-offs converge to zero the longer the game is played. The best decision for both players is still to always pass until reaching the final node when the gift is fully reciprocated and social costs are zero.

Two questions can be tackled here. Firstly, does such a Gift game with a discount depict social situations? Indeed, the discount on a gift may mirror a social context where social norms to reciprocate are fully in place, but change occurs and obligations get weaker the longer the game is played in a society. Mauss himself provides narratives of such situations that indicate social change can occur over time spans of generations (Mauss 1990:71-78). Secondly, do players play such a situation until the end? Rational players who avoid social costs would play the game to the end. However, as we have seen from the original Centipede game, some people do not behave rationally in the sense of utility maximizing. They cooperate instead. Thus, we can hypothesize that in the Gift Game with
discount, some players do not obey obligations but play irrationally. In this specific case, it means that they stop the game before the end and accept social costs.\(^4\)

### 6.0 Conclusion

This note states that concepts and methods developed in behavioural economics can be usefully applied in the field of economic anthropology. In the past 40 years, economists have gone far beyond models and theory associated with neoclassical economics. They have formed theories based on institutions (new institutional economics) and those that are related to psychology (behavioural economics) or biology (neuroscience). While neoclassical theory still provides guidance for analyzing the social context (cf. Carrier 2014 and the comment by Egbert 2015), many, if not most, economists have fully acknowledged that this theory is insufficient to address all social contexts.

The neighbouring social sciences have not yet become fully aware of this fundamental change of thinking within economics over the last several decades. For instance, some anthropologists still emphasise antagonistic positions between economics and the other social sciences and reduce the former largely to neoclassical theory. An example is the leading and generally excellent textbook of Hann and Hart (2011:162) in which it is stated that “[T]he project of economics needs to be rescued from the economists”. Such claims are as counterproductive to interdisciplinary work as positions held by some economists who do not deal in depth with the fruitful concepts developed in anthropology.

The objective of this note has been to show that even core topics in economic anthropology, such as Marcel Mauss’s *Gift*, can be related to models and methodologies used in for instance, behavioural economics. The example employed in this paper is the model of a Centipede game applied to a gift-giving context.

### References


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\(^4\) For simplicity reasons, it is assumed that the utility of the players does not include the saved discount. It is assumed to be zero.


